

**Polynomials****Recall Quadratic Format:****Introduction**

Format:

degree : =

number sets:

\_\_\_\_\_ is a \_\_\_\_\_ integer

coefficients \_\_\_\_\_ are \_\_\_\_\_

**Polynomial Examples**

$$p(x) =$$

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$$q(x) =$$

**Graph Behavior/Domain**

Polynomials are \_\_\_\_\_ and \_\_\_\_\_ therefore domain is \_\_\_\_\_.

**End Behavior**

Look at polynomial's \_\_\_\_\_ to determine what happens to graph when the \_\_\_\_\_ approach \_\_\_\_\_ and \_\_\_\_\_ infinity.

♦ \_\_\_\_\_ is \_\_\_\_\_ or \_\_\_\_\_

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Four Cases:

$a_n$

$a_n$

$a_n$

$a_n$

degree:

degree:

degree:

degree:

ex. Sketch the *end behavior* of \_\_\_\_\_.

**Zeros/Roots**

represent the \_\_\_\_\_ of the \_\_\_\_\_

ex. Find all *zeros* of \_\_\_\_\_.

ex. Find all *roots* of \_\_\_\_\_.

**multiplicity** is the \_\_\_\_\_ each unique \_\_\_\_\_ occurs

Do: Find all zeros and their \_\_\_\_\_ for \_\_\_\_\_.

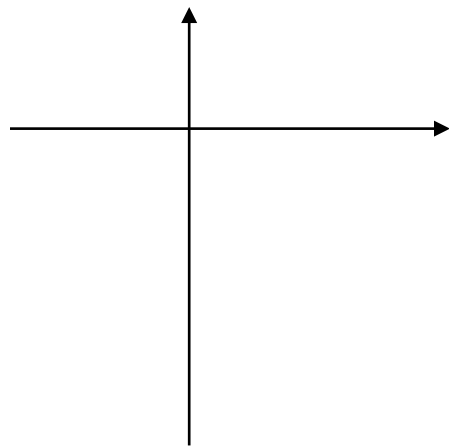
ex. Find all roots and their \_\_\_\_\_ for \_\_\_\_\_.

**How Multiplicity Affects Graph of Polynomial**

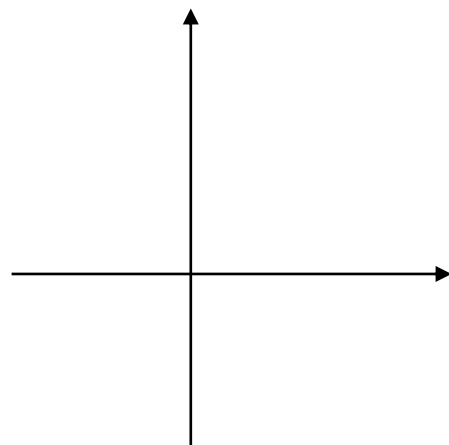
If root's multiplicity is \_\_\_\_\_, graph \_\_\_\_\_  $x$ -axis at the root.

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ex. Sketch the graph of \_\_\_\_\_.



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**Find Polynomial Given its Roots**

ex. Find roots of \_\_\_\_\_.

Note that, from this \_\_\_\_\_, it's unclear what \_\_\_\_\_.

ex. Determine the \_\_\_\_\_ with a \_\_\_\_\_ and roots of \_\_\_\_\_.

Use  $k$  as a placeholder for \_\_\_\_\_ factor.

Follow up Question: find the \_\_\_\_\_ of \_\_\_\_\_ using \_\_\_\_\_.

Express the resulting \_\_\_\_\_ in \_\_\_\_\_ form.